

# 8-6 Word Problem Practice

## Solving $x^2 + bx + c = 0$

Lesson 8-6

**1. COMPACT DISCS** A compact disc jewel case has a width 2 centimeters greater than its length. The area for the front cover is 168 square centimeters. The first two steps to finding the value of  $x$  are shown below. Solve the equation and find the length of the case.

$$\text{Length} \times \text{width} = \text{area}$$

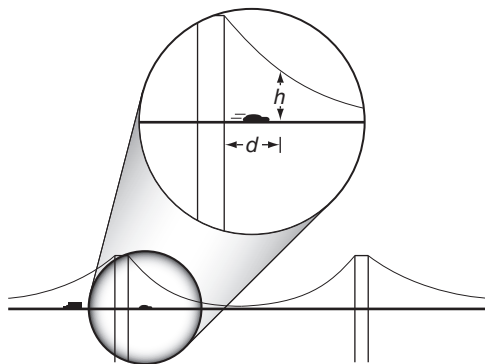
$$x(x + 2) = 168$$

$$x^2 + 2x - 168 = 0$$

**-14 or 12; 12 cm**

**2. MATH GAMES** Fiona and Greg play a number guessing game. Greg gives Fiona this hint about his two secret numbers, "The product of the two consecutive positive integers that I am thinking of is 11 more than their sum." What are Greg's numbers? **4 and 5**

**3. BRIDGE ENGINEERING** A car driving over a suspension bridge is supported by a cable hanging between the ends of the bridge. Since its shape is parabolic, it can be modeled by a quadratic equation. The height above the road bed of a bridge's cable  $h$  in inches measured at distance  $d$  in yards from the first tower is given by  $h = d^2 - 36d + 324$ .



If the driver of a car looks out at a height of 49 inches above the roadbed, at what distance(s) from the tower will the driver's eyes be at the same height as the cable? **at 11 and 25 yds from the first tower**

**4. PHYSICAL SCIENCE** The boiling point of water depends on altitude. The following equation approximates the number of degrees  $D$  below  $212^\circ\text{F}$  at which water will boil at altitude  $h$ .

$$D^2 + 520D = h$$

In Denver, Colorado, the altitude is approximately 5300 feet above sea level. At approximately what temperature does water boil in Denver?

**$D = 10^\circ$  drop**

**The boiling point is about  $202^\circ\text{F}$ .**

**5. MONUMENTS** Susan is designing a pyramidal stone monument for a local park. The design specifications tell her that the height needs to be 9 feet, the width of the base must be 5 feet less than the length, and the volume should be 150 cubic feet. Recall that the volume of a pyramid is given by  $V = \frac{1}{3}Bh$ , where  $B$  is the area of the base and  $h$  is the height.

a. Write and solve an equation to find the width of the base of the monument.

$$150 = \frac{1}{3}w(w + 5) \cdot 9 \text{ or}$$

$$3w^2 + 15w - 150 = 0; w = \{5, -10\}$$

b. Interpret each answer in terms of the situation.  **$w = 5$ : the width of the pyramid is 5 feet;  $w = -10$ : negative length doesn't make sense in the situation.**